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This is a Publisher's version version of a publication
published by Hindawi
in International Journal of Rotating Machinery

DOI: 10.1155/2019/7415263

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Please cite the publication as follows:


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CFD Modelling of a Centrifugal Compressor with Experimental Validation through Radial Diffuser Static Pressure Measurement

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Received 15 January 2019; Revised 10 April 2019; Accepted 15 April 2019; Published 19 May 2019

1. Introduction

Centrifugal compressors are widely used in a range of applications including refrigeration and air conditioning, power generation, aeronautics, turbochargers, and the oil and gas industry; and their design is an important factor in the performance and efficiency of the systems in which they are incorporated. Thus the simulation of centrifugal compressors is becoming increasingly important and has been applied to investigate a range of phenomena such as noise generation [1, 2], tip clearance [2, 3], effect of volute and diffuser geometry [4, 5], compressor performance [6–8], and the flow field through the compressor [9, 10]. An important aspect of developing a numerical model is the validation stage, which usually involves a comparison with experimental data. Typically, when evaluating centrifugal compressor performance, the characteristics of the flow are only measured in two places: upstream of the compressor inlet and downstream of the volute outlet.

In recent years, one of the major trends in centrifugal compressor research has been at off-design operating conditions. Both the widening of operating range and the efficiency at off-design operations have been extensively studied in recent years, as the efficiency requirements for different systems have been increasing. As the off-design operations is more important than previously and CFD is
commonly used in different stages in the compressor design, the CFD accuracy at off-design conditions also becomes more important.

Out of the accumulation of a body of work, a number of common approaches have resulted in terms of CFD model settings with regard to turbulence models [11–14], interface settings [4, 6, 7, 9, 15–17], and boundary conditions [7, 11, 18]. There are a number of turbulent models which can be applied in a RANS simulation. Gibson et al. [11] assessed the performance of different turbulence models for the numerical simulation of a centrifugal compressor. Simulations were performed using different models including the Spalart-Allmaras, SST, a modified SST approach (SST-CC), and a turbulent frequency formulated Reynolds stress model (RSM-ω). The results were compared to experimental data for the pressure and temperature ratios and velocity contours at the impeller exit. The results showed that while the SST-CC and RSM-ω performed well near surge, the SST was efficient and provided accurate results over the entire speed line range. Röyttä et al. [14] compared the SST model with a k-ε model in a study into the effect of blade angle in a centrifugal compressor. They also found the SST model to give the most realistic results. The SST turbulence model is identified as the most appropriate choice for turbomachinery applications in Shah et al’s review [12] and has also been widely used in a range of centrifugal compressor simulations [13, 19]. A full discussion of the SST model is given by Menter [20].

Another important consideration when modelling centrifugal compressors is simulating the interface between the rotating impeller region and the stationary inlet and diffuser. When performing a steady state simulation, the impeller region is simulated in a rotating frame of reference and the other regions are simulated in a stationary frame of reference. At the interface there are two approaches: the mixing plane, where quantities are averaged circumferentially at the interface, and the frozen rotor method, where pressure and velocity are transferred directly across the interface, with the circumferential velocity adjusted by the local blade speed [21]. The frozen rotor approach keeps the relative positions of the blades fixed and so the results are position-dependent. Despite this it has been shown [21] that for a vaneless diffuser the net difference between a frozen rotor and a mixing frame reference is minimal and the approach is frequently applied in centrifugal compressor simulation [4, 6, 7, 9, 14–18, 22, 23].

The current body of literature for the purposes of CFD model validation, to the best of the author’s knowledge, focuses only on the inlet and outlet characteristics of the flow, namely, static pressure or a quantity derived from it, such as in [1, 2, 4, 7, 8, 15, 16]. These works also often do not include the components between the diffuser exit and the experimental outlet sensor in their CFD model. Whilst this is adequate for most industrial performance analysis, it falls somewhat short for the purpose of fully verifying a CFD model. A study of the in-situ development of the flow through the diffuser allows for the evaluation of a computational model not just in terms of its final output at a single point, but also at intermediate stages through the impeller. This becomes particularly important when assessing a model’s validity as conditions move away from the design point.

Here we consider a CFD model validated against experimental pressure measurements at 12 points along the diffuser. The experimental and CFD details are set out in Sections 2 and 3 respectively. The results are presented in Section 4 in terms of the pressure ratios at the twelve measurement points, variations in the spanwise direction, the position of the frozen rotor interface, and the pressure and velocity fields in the inlet, impeller, and diffuser regions.

2. Experimental Setup

The test compressor is located in Laboratory of Fluid Dynamics, at Lappeenranta University of Technology, Finland. The compressor test facility is closed-loop, and the test compressor is a high-speed centrifugal compressor, controlled with active magnetic bearings. The impeller has nine full and nine splitter blades. The compressor is equipped with a parallel wall vaneless diffuser and a volute. The main design parameters are listed in Table 1, and the process instrumentation for the test stand is shown in Figure 1.

Air is taken from a settling tank, through an inlet valve. The flowrate, pressure, and temperature are measured before and after the compressor. After the outlet measurements, the airflow is cooled in a heat exchanger with water and transferred back into the tank through a control valve. The performance measurement setup and calculations comply with ISO 5389. The measured design operating point performance and uncertainties are shown in Table 2.

2.1. Static Pressure Measurements. Static pressures in the vaneless diffuser were measured at 12 different radial locations. The pressure taps were situated opposite to the volute tongue. Nine first pressure taps are on the shroud side, and the last three are on the hub side because of the volute. The pressure tap placement is shown in Figure 2 and summarized...
Table 1: The main design parameters.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mass flow [kg/s]</td>
<td>1.8</td>
</tr>
<tr>
<td>Specific speed $N_s = \omega \sqrt{\frac{q}{\Delta h^{0.75}}}$</td>
<td>0.70</td>
</tr>
<tr>
<td>Rotational speed [1/s]</td>
<td>461</td>
</tr>
<tr>
<td>Impeller outlet radius [mm]</td>
<td>271</td>
</tr>
<tr>
<td>Diffuser outlet radius [mm]</td>
<td>542</td>
</tr>
<tr>
<td>Blade backsweep at the impeller outlet [°]</td>
<td>40</td>
</tr>
<tr>
<td>Blade height at the impeller exit [mm]</td>
<td>12.2</td>
</tr>
<tr>
<td>Diffuser height [mm]</td>
<td>10.3</td>
</tr>
<tr>
<td>Number of full and splitter blades</td>
<td>9 + 9</td>
</tr>
</tbody>
</table>

Table 2: Design operating point performance.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
<th>Relative error [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>Total-to-total efficiency [%]</td>
<td>79.8</td>
<td>± 0.81</td>
</tr>
<tr>
<td>Total-to-total pressure ratio [-]</td>
<td>2.36</td>
<td>± 0.35</td>
</tr>
<tr>
<td>Mass flow [kg/s]</td>
<td>1.79</td>
<td>± 0.54</td>
</tr>
</tbody>
</table>

Figure 2: Pressure tap placement.

Figure 3: Compressor operating map and the operating points at which the static pressures were measured.

Figure 4: Measurement uncertainty for each static pressure measurement.

Once the desired operating point had been set, the compressor was let to run until all the temperatures had settled to a steady value. Once steady state had been achieved, the static pressures were recorded. Five pressure values were recorded for each location, and once the results were processed, the five values were averaged to give a single pressure for each location at each operating point. Figure 4 shows the relative error in the pressure measurements, which is the calibration error divided by the measured pressure. During calibration the average error for the range considered here was 0.4 kPa, however, the maximum error of 1.21 kPa is used in Figure 4.

3. Numerical Study

Simulations were carried out using commercial CFD software ANSYS CFX version 17.1 in steady state.

3.1. Domain Partition and Interface. Following [4, 6, 7, 9, 15–17], the computational domain was partitioned into the stationary inlet, rotating impeller, and stationary diffuser with frozen rotor interfaces between adjacent domains. The
Table 3: Pressure tap locations.

<table>
<thead>
<tr>
<th>location</th>
<th>( r/r_2 )</th>
<th>location</th>
<th>( r/r_2 )</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1.01</td>
<td>7</td>
<td>1.50</td>
</tr>
<tr>
<td>2</td>
<td>1.07</td>
<td>8</td>
<td>1.59</td>
</tr>
<tr>
<td>3</td>
<td>1.13</td>
<td>9</td>
<td>1.69</td>
</tr>
<tr>
<td>4</td>
<td>1.20</td>
<td>10</td>
<td>1.80</td>
</tr>
<tr>
<td>5</td>
<td>1.30</td>
<td>11</td>
<td>1.90</td>
</tr>
<tr>
<td>6</td>
<td>1.40</td>
<td>12</td>
<td>1.95</td>
</tr>
</tbody>
</table>

Table 4: Operating points at which the static pressures were measured.

<table>
<thead>
<tr>
<th>point</th>
<th>( N ) [1/s]</th>
<th>( q_m ) [kg/s]</th>
<th>( \pi_{tt} )</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>461</td>
<td>1.98</td>
<td>2.28</td>
</tr>
<tr>
<td>2</td>
<td>461</td>
<td>1.80</td>
<td>2.36</td>
</tr>
<tr>
<td>3</td>
<td>461</td>
<td>1.44</td>
<td>2.48</td>
</tr>
<tr>
<td>4</td>
<td>364</td>
<td>1.46</td>
<td>1.81</td>
</tr>
<tr>
<td>5</td>
<td>364</td>
<td>1.33</td>
<td>1.72</td>
</tr>
<tr>
<td>6</td>
<td>364</td>
<td>1.06</td>
<td>1.76</td>
</tr>
<tr>
<td>7</td>
<td>323</td>
<td>1.24</td>
<td>1.54</td>
</tr>
<tr>
<td>8</td>
<td>323</td>
<td>1.13</td>
<td>1.57</td>
</tr>
<tr>
<td>9</td>
<td>323</td>
<td>0.90</td>
<td>1.61</td>
</tr>
</tbody>
</table>

domain partitioning is shown in Figure 5. The rotational speed of the impeller domain was set to the desired speed.

3.2. Boundary Conditions. Total temperature and pressure were applied as inlet conditions with values of 96 kPa (\( p_{ref} \)) and 300 K, respectively. A mass flow rate outlet condition was used with values from Table 4 using a subsonic flow regime. Periodic boundary conditions were used between adjacent blade passages. This is the same approach as used in [7, 18].

The combination of a total pressure and temperature inlet with a mass flow rate outlet is the approach favoured for stability [11]. The hub and shroud for the inlet and diffuser domains, the hub for the impeller domain, and the blades themselves were set to wall (adiabatic, no slip, and smooth wall) boundary conditions. The shroud in the impeller domain was set as the same except the wall velocity option selected was "counter rotating wall".

3.3. Numerical Methods. Following [11–14] the k-\( \omega \) SST model was selected. The chosen k-\( \omega \) SST model is widely used and has been validated for turbomachinery applications [20]. Recently, Gibson et al. [11] used the test case Radiver to demonstrate the differences between five turbulence models. They concluded that the k-\( \omega \) SST model is reasonably robust to predict the basic local flow phenomena in the centrifugal compressor. The turbulence intensity was set at a medium intensity, 5% [3, 11, 24]. The advection scheme and turbulence numerics were set to high resolution. Auto timescale, conservative length scale option, and a timescale factor of 1 were selected.

3.4. Mesh Convergence. The computational grid was generated in ANSYS Turbogrid and a convergence study is shown in Figure 6, and the final grid is shown in Figure 7.

The final mesh was the densest of those considered and consisted of approximately 2.2 million elements. The global size factor used was 1.75 and the near wall element size specification method was \( y^+ \) with a Reynolds number of 7x10^6 to give a target \( y^+ \) value of 0.5. The passage spanwise blade distribution method selected was proportional with a factor set to 1. Convergence was deemed sufficient when the RMS value of all the residuals reached O(10^{-5}). Following Celik et al. [25] a discretization error of 0.08% was found for the pressure ratio when the 1.06 million elements mesh was used.

4. Results

4.1. Pressure Ratios. A comparison of the experimental and simulated (area averaged) pressure ratios is presented in Figure 8 at each tapping position for each of the mass flow rates and rotational speeds considered. The first 9 CFD results (\( r/r_2 < 1.7 \)) are at the shroud side and the three last at the hub side, in agreement with the experimental data. The percentage difference between the experimental and the simulations pressure ratios is also shown in Figure 8. Comparison of the results shows good general agreement between the experimental results and the simulations.

Away from the tips (\( r/r_2 > 1.2 \)) the differences remain somewhat constant. In this region the CFD results consistently underestimate the pressure ratio (ranging from virtually no underestimation to approximately 6%) with respect...
to the experimental data. It is interesting to note that these differences are smallest, 2% or less, at the design speed and mass flow rate (461 Hz and 1.8 kg/s) or close to them (461 Hz and 1.98 kg/s). Further from the design operating point the errors are larger in the range of 2% to just over 5%. This can be seen in Figure 9 which shows the average error for $r/r_2 > 1.2$ plotted against the distance from the design point calculated as $\sqrt{\left(\Delta N/N_0\right)^2 + \left(\Delta q_m/q_{mo}\right)^2}$, where $N_0$ and $q_{mo}$ are the design point speed and mass flow rate, respectively, and the Δ quantities represent the difference from the design point. Although there is not a strong correlation between the data and the linear best-fit, suggesting that the relative importance of $\Delta N/N_0$ and $\Delta q_m/q_{mo}$ may not be equal in determining the accuracy of the simulations, there is a clear trend for the simulations to be more accurate close to the design point. One factor affecting this is the volute. In the experiments there is a volute, which is developed to provide a uniform circumferential pressure distribution at the design operating point. At off-design conditions the circumferential pressure distribution is not uniform. At mass flows lower
Figure 8: Comparison of experimental and simulated pressure ratios.
than the design flow, the pressure increases in the direction of rotation while at higher flows it decreases in the direction of rotation [26, 27]. In the simulations there is a uniform boundary condition which is applied equally at all operating points. This difference can partially explain why inaccuracy is observed to increases the further we go from the design operating point.

In the region closer to the tips (r/r₂ < 1.2) the difference varies more and the maximum differences (+6% and -8%) occur. This is to be expected due to the more rapid and less uniform variation in the pressure ratio in this region. It is also interesting to note that in the inner region the differences are either positive (CFD overestimating the pressure ratio) or less negative (CFD underestimating the pressherby less) than in the outer region.

Other than this there is no clear trend in the data. For example, although the lowest mass flow rates flows all show the maximum difference of approximately -6% in the outer region for the higher speeds, this behavior is not replicated by 323 Hz results. This suggest that other than the results being more accurate close to the design point as described above, there is no systematic error featuring in either set of results.

In Figure 8, the experimental error in the pressure ratio measurements (0.012) is approximately equal to the size of the symbols at 323 and 369 Hz and roughly half the symbol size at 461 Hz, while the discretization error in the simulated pressure ratio is less than 0.002. The differences observed between the CFD and the experimental measurements are somewhat larger than these errors. This can be due to features of the simulation, such as using a RANS approach with its associated turbulence model, which are not captured by the discretization error, as well small artefacts of a real compressor which are not included in the model used for CFD simulation. For example, the simulated compressor is perfectly symmetric, whereas the manufacturing and installation process for the real compressor will introduce a small level of asymmetry which, in areas such as the blade clearance, can impact on the performance [3].

4.2. CFD Pressure Line Variation. When comparing experimental and numerical results there is often an ambiguity as to where in the computational domain the inlet to outlet pressure line is taken in a spanwise sense. The experimental setup used had the first nine pressure taps placed into the diffuser shroud and as such represents a physical value b/b₂ of close to unity. Figure 10 compares the simulated pressure at different spanwise positions with the measured pressure close to r/r₂ = 1 for a selected operating condition. At higher values of r/r₂ there was no significant difference between the results for different spanwise positions. Closer agreement to the experimental results is shown at increased spanwise positions. In particular, it is noted that for spanwise values of 0.5 or less there seems to be an inversion of the pressure trend immediately downstream of the impeller–diffuser interface.

A key and interesting feature of the results is the initial drop in pressure immediately downstream of the impeller. This can be explained by the pinched diffuser with the pinch as r/r₂ = 1.02, as indicated in Figure 11, where b is the diffuser radius and b₂ is the radius at the impeller exit. The initial reduction in pressure in Figure 10 can be explained by the flow acceleration due to the pinched diffuser. Due to the resolution of the experimental results in Figure 10, it is not possible to determine a detailed picture of the pressure variation in this region; however, there is a measured decrease in pressure between the first two pressure taps. In the simulation results the pressure shows a small decrease in pressure in the 1 < r/r₂ < 1.02 prior to the expected increase in the remainder of the diffuser, for the spanwise positions greater than 0.75.

4.3. Impeller–Diffuser Interface. Physically speaking the interface between the impeller and the diffuser occurs at r/r₂ = 1. However, for modelling and meshing reasons the interface is typically placed a small distance downstream, for example, 1.025 in [12]; moreover there will be a small distance where the flow is still bound to the blade due to viscous effects. This means that the motion of the blade is still directly affecting the fluid in a small region beyond the geometrical extend of the blade. If the interface is placed too close to the blade tip then the standard meshing topology will attempt to create mesh cells stretching around and over the blade,
leading to unacceptable mesh skewness. The effect of this interface placement was investigated and the results shown in Figure 12 at a spanwise distance of 0.9, 461 Hz, and 1.8 kg/s mass flow rate. The results confirm the trend of increasing accuracy the closer to the impeller exit the interface is placed in [12]. A certain gap has to be left in order to avoid meshing issues. In the simulations presented in Figure 8 \( r/r_2 = 1.02 \) was used.

Figure 12 shows that for the interface radii ratio value of 1.02 the pressure remains largely constant from pressure tap 1 to 2. This correlates with the experimental data. For interface radii ratio values above 1.02 this effect is not evident. When a mixing reference frame approach is used for an interface radii ratio value of 1.02 the pressure is seen to increase from pressure tap 1 to 2. This is due to the mixing reference frame averaging quantities across the mesh immediately up and down stream of the interface.

4.4. Pressure and Velocity Profiles in the Impeller Region. Having verified the accuracy of the computational model throughout the diffuser domain, the full pressure and velocity fields are studied in more detail in the diffuser and impeller regions. This is shown in Figures 13, 14, and 15 for the three speeds of 461 Hz, 368 Hz, and 322 Hz, respectively, for the nine operating conditions previously considered. In each of the three figures the static pressure is shown on the left-hand side and the velocity magnitude on the right-hand side and the mass flow rate increases from top to bottom. The impeller/diffuser boundary was set at \( r/r_2 = 1.02 \) and the results are shown at a spanwise position of 0.9. Since a frozen rotor model was applied in the simulations, the images in the figures represent a snapshot of a flow field in the diffuser.

The static pressure contours show that the pressure ratio decreases with mass flow rate and increases with rotational speed, as previously observed in Figure 3. Additionally, they also give details of the pressure variation through the impeller region and details of the pressure difference between the pressure and the suction sides of the blades. In Figures 13(a) and 13(c) the contour lines approximately join at the blades indicating a pressure difference equal to the width of the contour band. This appears to be consistent along the length of each blade and is the same for the main blade and the splitter blade. In Figure 13(e) the contours are close to joining at the blades but have a small offset indicating a small increase in the pressure difference across the blades at the highest mass flow rate. Figures 14 and 15 also show a pressure difference across the blades which decreases with the rotational speed.

When comparing the velocity magnitude contours a velocity jump across the frozen rotor interface can be observed. This view highlights the essential difference between the frozen rotor and mixing reference frame. Velocity “peaks” can be seen in the diffuser domain to be moving radially outwards and in the direction of rotation. If the diffuser were vanned this nonuniformity would be problematic; however as the diffuser is vaneless this is insignificant. In the impeller domain velocity contours show a “dead” spots of the Coriolis vortices, approximately 1/3 of the way through the impeller domain. These are present at each of the rotation speeds. At the moderate and higher mass flow rates these vortices are relatively small and positioned slightly closer to the pressure side of the blades. At the lowest mass flow rate, for each rotation speed, the regions are significantly larger. At 461 Hz the region extends up to the splitter blade and at the lower speeds it virtually encloses the lower third of the splitter blade.
5. Conclusion

Experimental and numerical approaches have been applied to analyse the performance of a centrifugal compressor.

In general, the CFD model showed good agreement with the experimental measurements throughout the diffuser region. A maximum difference of 8% was observed in one simulation in the region close to the tip (r/r₂ < 1.2), where the pressure variation with radial position tends to be less regular and increases at its maximum rate. Outside this region the magnitude of the differences was less and approximately constant with radial distance. Generally, the CFD underpredicted the pressure ratio, except for a few points close to the blade tips for some simulations. In particular, it was observed that, in this outer region, the accuracy of the simulation results was particularly good close to the design point of the compressor where the difference between the experimental and the CFD results was less than 2%. Further from the design point the errors were larger but still less than approximately 5%. No systematic differences were noticed within the range of parameters considered, validating the use of the model.

Typically, when compressors are modelled with CFD for design or research purposes, only a single blade passage is modelled with the assumption of circumferential uniformity, and the volute is omitted, as was done here. The results indicate that the inaccuracy of the simulations increase the further from the design operating conditions the performance is predicted. As the off-design operations
of compressors are becoming more important, the design engineers should bear this in mind. Works such as [28] allow for reasonable predictions of the effect of the volute, provided it decelerates the flow in an approximately adiabatic fashion.

The conventional CFD practice of placing the diffuser domain interface as close to the blade tips as possible produces the most accurate results for regions close to the blade tips but under predicts the static pressure at the diffuser outlet. Conversely increasing the \( r/r_2 \) position of the diffuser domain interface produces less accurate results near the blade tips but replicates the static pressure at the diffuser outlet more accurately. The variation in pressure in the spanwise direction through the diffuser was also considered. For \( r/r_2 > 1.1 \) no significant variation was observed with the spanwise position; however, close to the impeller outlet a small but significant difference was observed. For spanwise positions greater than 0.5 a dip in the pressure was observed which was consistent with the experimental results (taken at the shroud with a spanwise position of approximately 1). This was not observed for spanwise positions of 0.5 or lower.

Contour plots were also presented which gave a detailed description of the velocity and pressure field through both the impeller and the diffuser region for the nine operating conditions considered.

Having validated a computational model more elaborate and detailed analysis can be undertaken with an increased degree of confidence, such as, for example, blade loading, flow

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**Figure 14:** Static pressure and velocity magnitude contours at 368 Hz.
contours, and examining the flow as it approaches surge and choke.

**Data Availability**

Experimental data collected at LUT was used.

**Conflicts of Interest**

The authors declare that there are no conflicts of interest regarding the publication of this paper.

**Acknowledgments**

Numerical computations were done on the Sciama High Performance Compute (HPC) cluster which is supported by the ICG, SEPNet, and the University of Portsmouth. Brett Dewar, Mike Creamer, Mariana Dotcheva, Jovana Radulovic, and James M. Buick wish to thank InnovateUK for financial support provided for this work through the KTP grant [KTP009973].

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